

Dynamic Load Analysis of Carbon Fiber Connecting Rod

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Abstract- The main objective of this study was to explore weight reduction opportunities for a production of carbon fiber connecting rod. This has entailed performing a detailed dynamic load stress analysis of the connecting rod. In the first part of the study, the static load analysis, selection of material of the connecting rod are considered. Then we go for design of connecting rod in “inventor2014” Then component is imported to the Ansys 15.0 and analysis is done.

Keywords- Dynamic Load Analysis of Connecting Rod Using Vibration Analysis.

1. INTRODUCTION

A. Material Selection

Different types of materials are used in manufacturing of the connecting rods. The material for a connecting rod is selected based on the purpose of the connecting rod and depending upon the requirement of the I.C engines.

Some of the materials used in the manufacturing of connecting rod are

- Cast iron
- Aluminum alloys
- Carbon steel
- Stainless steel
- Magnesium
- Titanium

Generally forged materials are used for the manufacturing of connecting rods into account or neglected during the optimization. Nevertheless, a proper picture of the stress variation during a loading cycle is essential from fatigue point of view and this will require FEA over the entire engine cycle.

The objective of this chapter is to determine these loads that act on the connecting rod in an engine so that they may be used in FEA. The details of the analytical vector approach to determine the inertia loads and the reactions were discuss

This approach is explained by Wilson and Sadler (1993). The equations are further simplified so that they can be used in a spreadsheet format. The results of the analytical vector approach have been enumerated in this chapter.

B .Investigation Plan

The connecting rod undergoes a complex motion, which is characterized by inertia loads that induce bending stresses. In view of the objective of this study, this is optimization of the connecting rod. it is essential to determine the magnitude of the loads acting on the connecting rod. In addition, significance of bending stresses caused by inertia loads needs to be determined, so that we know whether it should be taken.

2. STATIC FORCES ON CONNECTING ROD

The stresses in the connecting rod are set up to the following forces acting on it

- Direct load on piston due to gas pressure.
- Inertia of connecting rod.
- Friction of the piston rings and of the piston.
- The friction of the piston pin bearing and the crank pin bearing.

Gas pressure force F_p

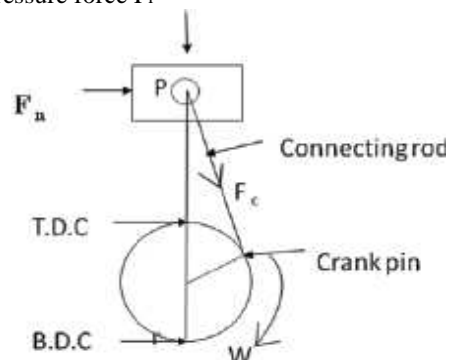


Fig1: General diagram of IC Engine.

The load due to piston inertia is

= weight of the reciprocating masses X accelerations

$$F_i = \frac{1000 \text{ Wrv}^2}{gV} \times \cos \theta \pm \frac{\cos 2\theta}{n}$$

Buckling load on connecting rod:

$$W_b = \frac{f_c \times A}{1 + a \left[\frac{L}{K_{xx}} \right]^2}$$

Where a = Rankin constant

Total force on the connecting rod :

$$F = F_p - F_i$$

A. Theoretical Calculation

3. Maruti Suzuki SX4 Specifications

Engine type water cooled 4-stroke

Bore x Stroke (mm) = 78x83

Displacement = 1586 CC

Maximum Power = 104.7 PS @ 5600 rpm

Force Acting on piston

$$F_p = \frac{\pi}{4} d^2 \times \text{Gas Pressure}$$

Gas pressure

$$\text{Density of Petrol C}_8\text{H}_{18} = 737.22 \text{ kg/m}^3 \\ = 737.22 \text{E-9 kg/mm}^3$$

Flash point for petrol (Gasoline)

Flash point = -43°C (-45°F)

Auto ignition temp. = 280°C (536°F) = 288°k

Mass = Density x volume

$$= 737.22 \text{E-9} \times 396.5 \text{E}3 \\ = 0.29 \text{kg}$$

Molecular weight of petrol = 114.228g/mole

$$= 0.11423 \text{ kg/mole}$$

From gas equation,

$$PV = m * R_{\text{specific}} * T$$

Where, P = Pressure, MPa

V = Volume

m = Mass, kg

R_{specific} = Specific gas constant

T = Temperature, °k

R_{specific} = R/M

$$R_{\text{specific}} = 8.3143/0.29$$

$$R_{\text{specific}} = 28.67 \text{ Nm/kg K}$$

$$P = m.R_{\text{specific}}.T/V$$

$$P = \frac{(0.29 \times 28.67 \times 288.85)}{396 \text{E}^3}$$

$$P = 6.06 \text{ MPa}$$

$$P = 6.10 \text{ MPa}$$

Force acting on Piston

$$F_p = \frac{\pi}{4} d^2 \times \text{Gas Pressure}$$

$$F_p = \frac{\pi}{4} 78^2 \times 6.1$$

$$F_p = 29148.01 \text{ N}$$

Total Force acting F = F_p - F_i

Where F_p = force acting on the piston

F_i = force of inertia

$$F_i = \frac{1000 \text{ Wrv}^2}{gV} \times \cos \theta \pm \frac{\cos 2\theta}{n}$$

wr = weight of the reciprocating parts

$$wr = 0.673 \times 9.81 = 6.24 \text{ N}$$

r = crank radius, r = 41.5

Also, θ = Crank angle from dead center = 0

considering connecting rod is at TDC position

n = length of connecting rod / crank radius

$$\text{Angular velocity, } \omega = \frac{2\pi N}{60} = \frac{2\pi 5600}{60} = 586.43$$

$$\text{Crank velocity } V = r\omega = 41.5 \text{E}^{-3} \times 586.43 \\ = 24.33 \text{m/sec}$$

$$F_i = \frac{1000 \times 6.24 \times 24.33^2}{9.81 \times 41.5} \times \cos 0 \pm \frac{\cos 2(0)}{4}$$

$$F_i = 9078.39 \text{ N}$$

Therefore, total force acting F = F_p - F_i

$$F = 29148.01 - 9078.39$$

$$F = 20069.61 \text{ N}$$

According to Rankin's Formulae F,

$$F = \frac{f_c \times A}{1 + a \left[\frac{L}{K_{xx}} \right]^2}$$

A = c/s area of connecting rod
 L = Length of connecting rod
 Fc = Compressive yield strength
 F = Buckling load

$$K_{xx} = \sqrt{\frac{EI}{A}} = 1.7t$$

$$a = \frac{f_c}{\pi^2 E} = 0.0004$$

$$F = \frac{f_c \times A}{1 + a \left[\frac{L}{K_{xx}} \right]^2}$$

$$20069.61 = \frac{176 \times 11t^2}{1 + 0.0004 \left[\frac{166}{1.7t} \right]^2}$$

$$t = 3.18 \text{ mm}$$

$$t = 3.5 \text{ mm}$$

In general,

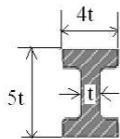


Fig 2: I Section Standard Dimensions of connecting rod

Therefore

$$\text{Width } B = 4t = 14 \text{ mm}$$

$$\text{Height } H = 5t = 17.5 \text{ mm}$$

$$\text{Area } A = 11t^2 = 134.75 \text{ mm}^2$$

Height at the piston end, $H_1 = 0.75H - 0.9H$

$$H_1 = 0.82 \times 17.5 = 14.35 \text{ mm}$$

Height at the crank end, $H_2 = 1.1H - 1.25H$

$$H_2 = 1.18 \times 17.5 = 20.65 \text{ mm}$$

Length of the connecting rod (L) = 166mm

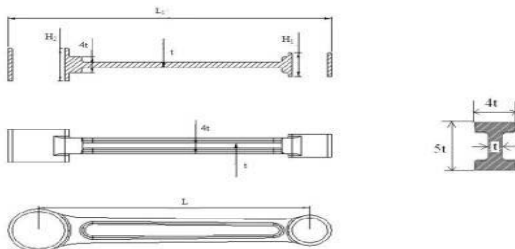


Fig 3: Cross sectional View of connecting rod

Design of small end:

Load on the piston pin or the small end bearing (Fp)
 = Projected area x Bearing pressure

$$F_p = dp \times lp \times P_{bp}$$

Fp = 29148.01 N load on the piston pin,
 dp = Inner dia. of the small end

P_{bp} = Bearing pressure

= 10.0 for oil engines.

= 12.7 for automotive engines.

We assume it is a 150cc engine, thus

P_{bp} = 12 MPa

lp = length of the piston pin

lp = 1.75 dp

Substituting,

$$29148.01 = 1.75 dp \times dp \times 12$$

$$dp = 37.25 \text{ mm}$$

$$dp = 38.00 \text{ mm}$$

$$lp = 1.75 \times 38 = 67.0 \text{ mm}$$

Outer diameter of small end = 1.3dp

$$= 1.3 \times 38 = 49.4$$

$$Od = 50 \text{ mm}$$

Design of Big end:

Load on crankpin or the big end bearing (Fp)

= Projected Area * Bearing pressure

Fp

$$= dp \times lp \times P_{bp}$$

Fp = 29148.01 N force or load on piston pin

dp = Inner dia. of big end

lp = length of crankpin = 1.3 dp

P_{bp} = 9 MPa

Putting these,

$$29148.01 = 1.3 dp \times dp \times 9$$

$$Dp = 49.91 = 50 \text{ mm}$$

$$Lp = 1.3 \times 50 = 65 \text{ mm}$$

Design of Big end Bolts:

$$\text{Force on bolts} = \frac{\pi}{4} d_{cb}^2 \times \sigma_t \times N_b$$

d_{cb} = Core dia. of bolts

σ_t = Allowable tensile stress for material of bolts (SAE

3130 = 156.667 MPa)

N_b = Number of bolts (2 bolts are used)

$$\text{Force on bolts} = \frac{\pi}{4} d_{cb}^2 \times \sigma_t \times N_b$$

$$9078.39 = \frac{\pi}{4} d_{cb}^2 \times 156.667 \times 2$$

$$D = 6.20 \text{ mm}$$

Nominal Dia of Bolt $D_b = d_{cb}/0.84$
 Diameter of bolt = 7.38/ 0.84
 Diameter of bolt = 8mm
Use M8 bolt.

Design of Big end Cap:

Maximum bending moment is taken as

$$B_{max} = \frac{F \times L_o}{6}$$

L_o = distance between bolt centre
 = dia of crank pin + Nominal dia of bolt+ (2x thickness of bearing liner)+ Clearance

$$= 50+14+(2 \times (0.05 \times 50+1))+3$$

$$L_o = 74 \text{ mm}$$

$$B_{max} = \frac{9078.39 \times 74}{6}$$

$$B_{max} = 111966.81 \text{ N.mm}$$

Section Modulus for the cap

$$Z = \frac{B \times h^2}{6}$$

$$Z = \frac{65 \times h^2}{6}$$

$$Z = 10.83 h^2$$

We know that bending stress

$$\sigma_b = \frac{B_{max}}{Z} \quad \sigma_b = 120 \text{ MPa}$$

$$h^2 = \frac{111966.81}{120 \times 10.83}$$

$$h^2 = 86.15$$

$$H = 9.28 \text{ mm}$$

$$h = 10.00 \text{ mm}$$

Sr.No	Parameters (mm)
01	Thickness of the connecting rod (t) = 4.5mm
02	Width of the section (B = 4t) = 18 mm
03	Height of the section(H = 5t) = 22.5 mm
04	Height at the big end =(1.1 to 1.125H) = 26.55 mm
05	Height at the small end =(0.9H to 0.75H)=

	18.45mm
06	Inner diameter of the small end = 43mm
07	Outer diameter of the small end = 56mm
08	Inner diameter of the big end = 58mm
09	Outer diameter of the big end = 88mm
10	Centre distance of bolt = 76mm
11	Length of connecting rod = 166mm.

Table 1: Dimensional Specification of connecting rod

4. MODELING OF THE CONNECTING ROD USING Inversion

Inventor software is used to create a complete 3D digital model of manufactured goods. The models consist of 2D and 3D solid model data which can also be used downstream in finite element analysis, rapid prototyping, tooling design, and CNC manufacturing. Connecting rod of a Light Vehicle Engine easily available in the market is selected and its dimensions are calculated based on the design and working parameters. According the dimensions obtained the model of the connecting rod is developed in the Inventor.

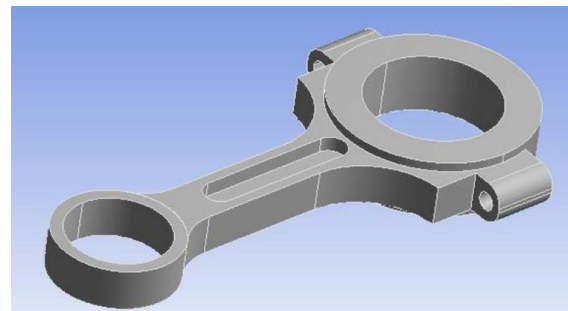


Fig 4: Model of connecting rod in Inventor

5. MATERIAL PROPERTIES

	Carbon Fiber
Young modulus	133.9 GPa
Poisson Ratio	0.10
Density	0.155 g/cc
Shear modulus	30 GPa
Tensile Strength, Yeild	1050MPa
Shear Strength	600 MPa

Table 2: Mechanical Properties used for Analysis.

Here we are using Ansys 14.5 to find the stresses, strain developed, deformation and safety factor of connecting rod at two variable speed.

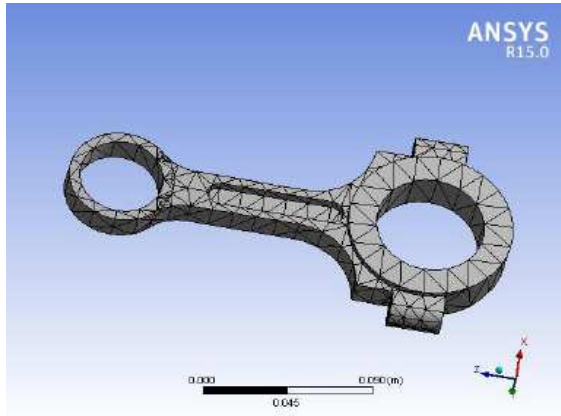


Fig 5: Mesh generation in Ansys 15.0

6. DYNAMIC LOAD ANALYSIS OF ROD

The objective of this chapter is to determine these loads that act on the connecting rod in an engine so that they may be used in FEA. The details of the analytical vector approach to determine the inertia loads and the reactions.

A. Analytical Vector Approach

The analytical vector approach has been discussed With reference to Figure for the case of zero offset ($e = 0$), for any given crank angle θ .

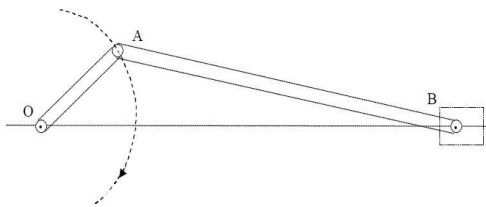


Fig 6: Slider Crank mechanism .

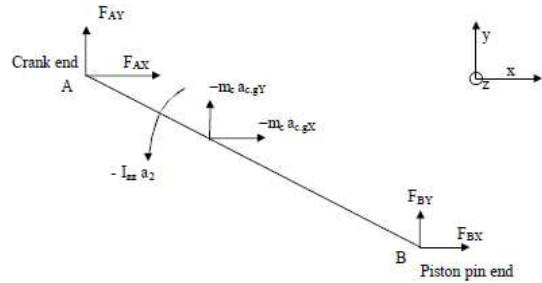


Fig 7: Free body diagram of connecting rod

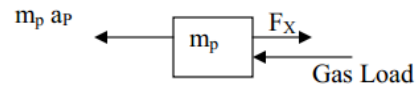


Fig 8: Free body diagram of connecting rod and piston.

The orientation of the connecting rod is given by:

$$\beta = \sin^{-1} \{ -r_1 \sin \theta / r_2 \}$$

Angular velocity of the connecting rod is given by the expression:

$$\omega_2 = \omega_2 k$$

$$\omega_2 = -\omega_1 \cos \theta / [(r_2/r_1)^2 - \sin^2 \theta]^{0.5}$$

The angular acceleration of the connecting rod is given by the following relations

The angular acceleration of the connecting rod is given as

$$\alpha_2 = \alpha_2 k$$

$$\alpha_2 = (1/\cos \beta) [\omega_1^2 (r_1/r_2) \sin \theta - \omega_2^2 \sin \beta]$$

Forces at the piston pin and crank ends in X and Y directions are given by:

$$F_{BX} = -(m_p a_p + \text{Gas Load})$$

$$F_{AX} = m_c a_{c,gx} - F_{BX}$$

$$F_{BY} = [m_c a_{c,gy} \cos \beta - m_c a_{c,gx} \sin \beta + I_{zz} \alpha^2 + F_{BX} r_2 \sin \beta] / (r_2 \cos \beta)$$

$$F_{AY} = m_c a_{c,gy} - F_{BY}$$

Where

$$a = (-r_1 \omega_1^2 \cos \theta - \omega_2^2 r_2 \cos \beta - \alpha^2 r_2 \sin \beta) i + (-r_1 \omega_1^2 \sin \theta - \omega_2^2 r_2 \sin \beta + \alpha^2 r_2 \cos \beta) j$$

Acceleration of the piston is given by

$$a_p = (-\omega_1^2 r_1 \cos \theta - \omega_2^2 r_2 \cos \beta - \alpha^2 r_2 \sin \beta) i + (-\omega_1^2 r_1 \sin \theta - \omega_2^2 r_2 \sin \beta + \alpha^2 r_2 \cos \beta) j$$

Configuration of the engine connecting rod

Crank shaft radius = 41.5 mm

Connecting rod length = 166 mm

Piston diameter = 78 mm
 Mass of the piston assembly = 0.250 kg
 Mass of the connecting rod = 0.253 kg
 Izz about the center of gravity = 0.00144 kg mm²
 Distance of C.G. from crank end center = 36.44 mm
 Maximum gas pressure = 6.1 Bar

B. Dynamic Load Analysis of Connecting rod @5600 rpm of crank speed

Consider piston movement inside the cylinder as slider crank mechanism.

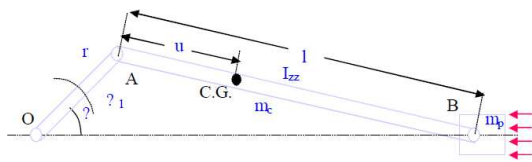


Fig 9: Piston Movement.

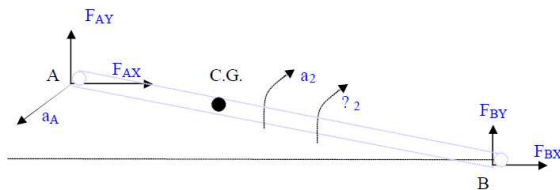
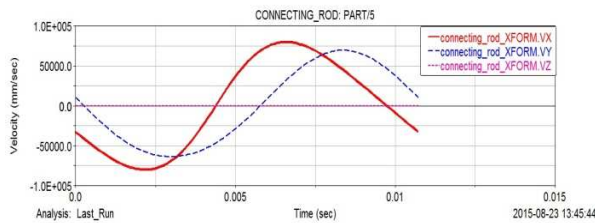
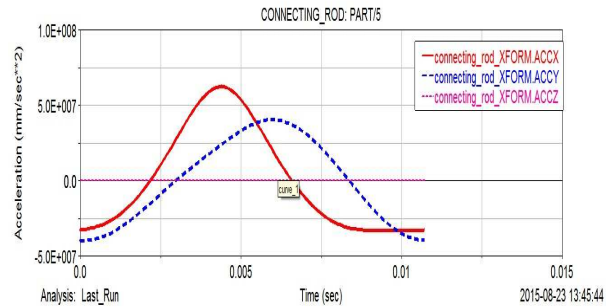


Fig 10: Input requires to perform load analysis on connecting rod.

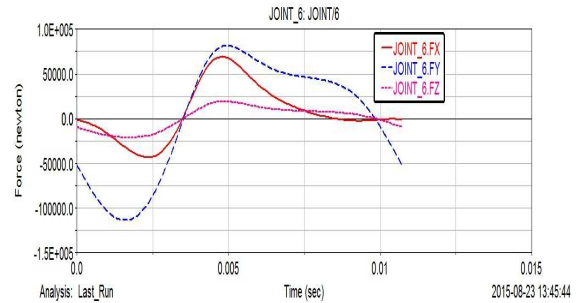
Typical input required for performing load analysis on the connecting rod and the expected output graphs are shown using Adams-View 12. Here we have to calculate the angular acceleration of the connecting rod about centre of gravity



Graph 1: Angular velocity of link AB at 5600 rev/min crank speed (ccw).

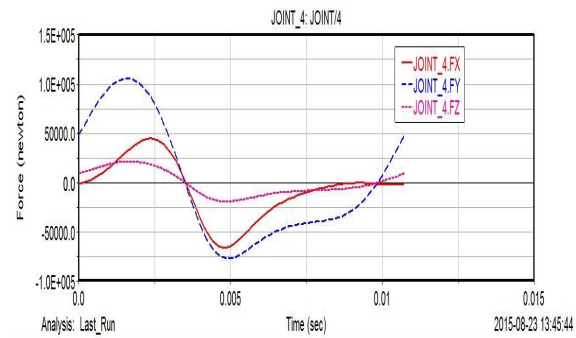


Graph 2: Angular acceleration of link AB at 5600 rev/min cranks speed (ccw).



Graph 3: Forces at piston Pin End Vs Time

Forces at the joint 6 (Piston Pin End) at 5600 rev/min crank speed. Fx Corresponds to F_{Bx} and Fy corresponds to F_{By}.



Graph 4: Forces at Crank Pin End Vs Time

Forces at the joint 4 (Crank Pin End) at 5600 rev/min crank speed. Fx Corresponds to F_{Ax} and Fy corresponds to F_{Ay}.

The data obtained by Adams View 2012 is used for the Dymanic Analysis of connecting rod at maximum engine speed of 5600 rpm of the crank shaft.

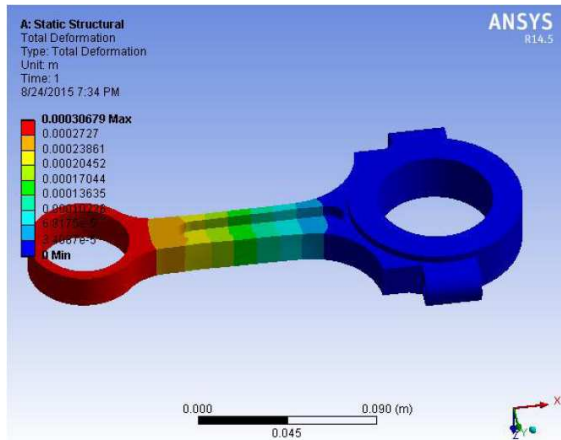


Fig 11: Total deformation of CF Connecting Rod @ 1.05E5 N at crank speed of 5600 rpm

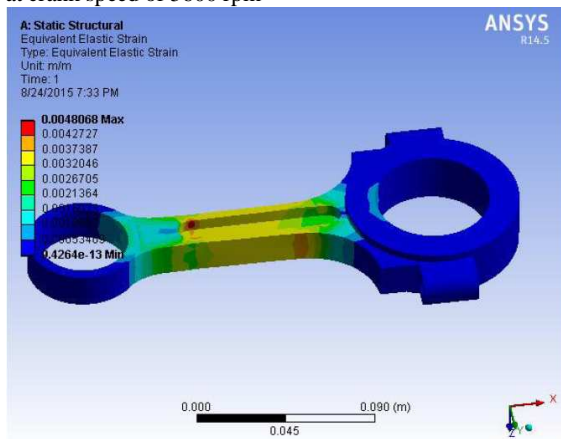


Fig 12: Elastic Strain of CF Connecting Rod @ 1.05E5 N at crank speed of 5600rpm

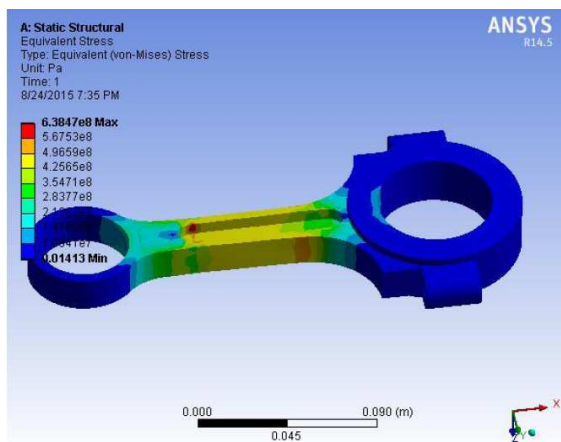


Fig 13: Von-Mises Stress of CF Connecting Rod @ 1.05E5 N at crank speed of 5600rpm.

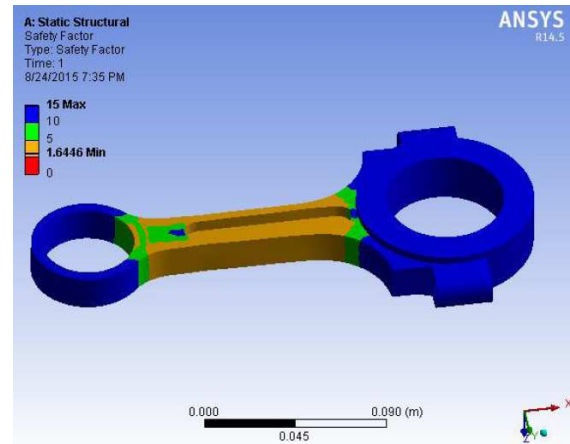
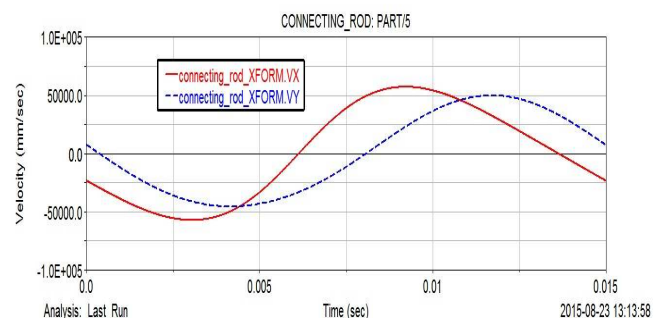


Fig 14: Safety Factor of CF Connecting Rod @ 1.05E5 N at a speed of 5600rpm.

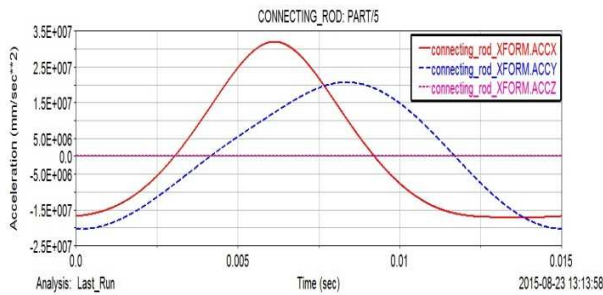
Crank speed (rpm)	Total Deform -ation (m)	Elastic Strain (m/m)	Von mises stress (MPa)	Safety Factor	Mass (Kg)
@5600	0.0003	0.0048	6.384e8	1.6447 to 15	0.253

Table 2: Results For Dynamic load Analysis of Connecting Rod @105 KN at crank speed of 5600rpm.

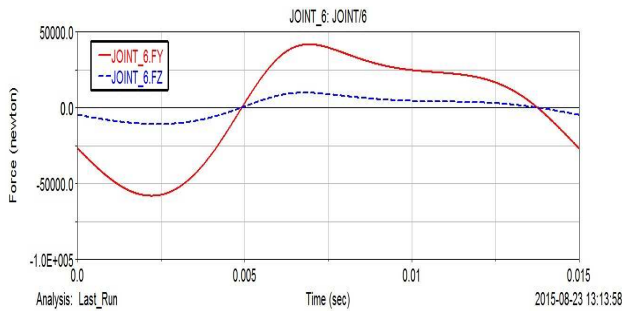
C. Dynamic Load Analysis of Connecting rod @5600 rpm of crank speed



Graph 5: Angular velocity of link AB at 4000 rev/min crank speed (ccw).

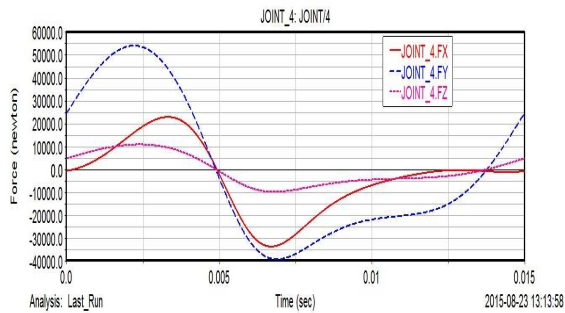


Graph 6: Angular acceleration of link AB at 5600 rev/min cranks speed (ccw).



Graph 7: Forces at piston Pin End Vs Time

Forces at the joint 6 (Piston Pin End) at 4000 rev/min crank speed. F_x Corresponds to F_{BX} and F_y corresponds to F_{BY} .



Graph 8: Forces at Crank Pin End Vs Time

Forces at the joint 4 (Crank Pin End) at 4000 rev/min crank speed. F_x Corresponds to F_{AX} and F_y corresponds to F_{AY} .

Results of Dymanic Load Analysis of connecting rod

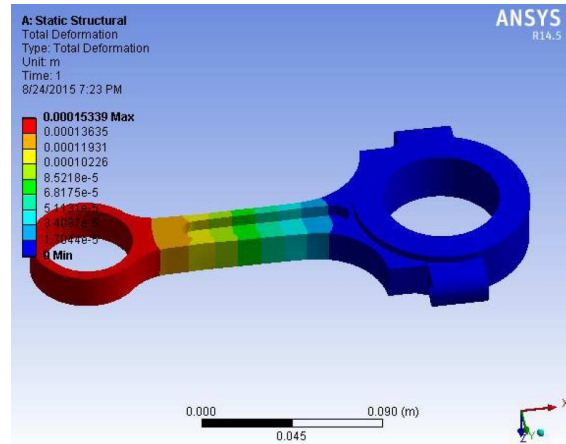


Fig 15: Total deformation of CF Connecting Rod @50KN at crank speed of 4000 rpm

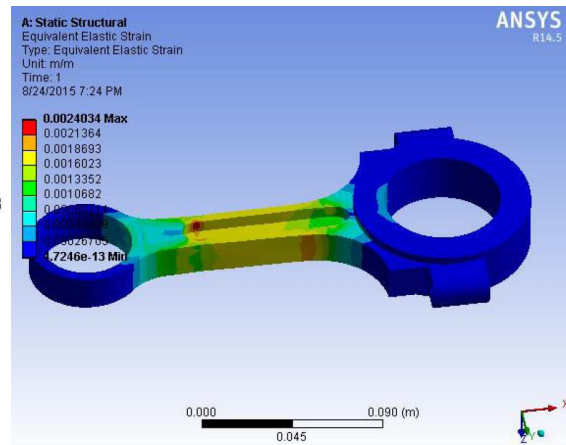


Fig 16: Total Elastic Strain of CF Connecting Rod @50KN at crank speed of 4000 rpm

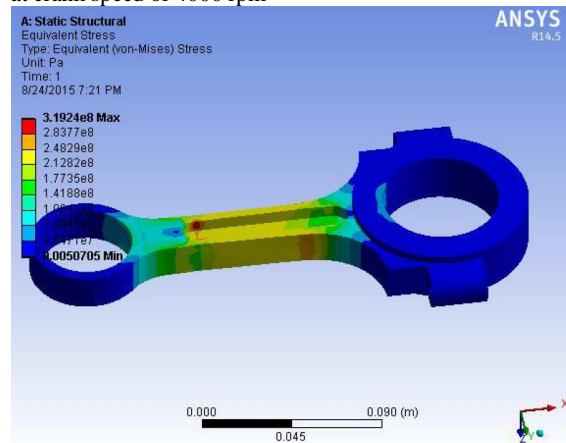


Fig 17: Von-Mises Stress of CF Connecting Rod @50KN at crank speed of 4000 rpm

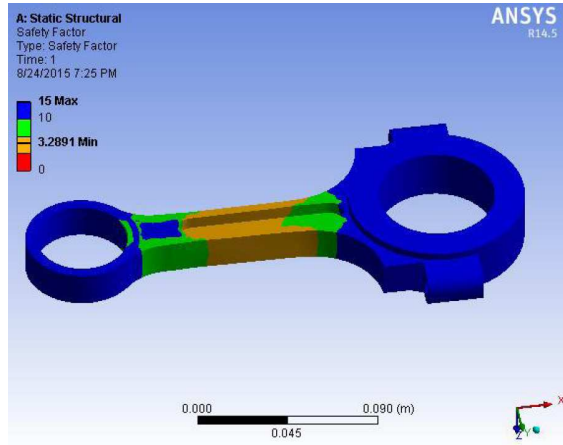


Fig 18: Safety Factor of CF Connecting Rod @ 50KN at a speed of 4000 rpm.

Crank speed (rpm)	Total Deformation (m)	Elastic Strain (m/m)	Von mises stress (MPa)	Safety Factor	Mass (Kg)
@4000	0.00015	0.0024	3.192e8	3.289 to 15	0.253

Table 3: Results For Dynamic load Analysis of Connecting Rod @50 KN at crank speed of 4000rpm.

7. CONCLUSION

The following conclusions can be drawn From this study:

1. There is considerable difference in the structural behavior of the connecting rod between axial loading and dynamic loading.
2. Dynamic load should be incorporated directly during design as the design loads, rather than using static loads.
3. Bending stresses and Tensile stresses of the connecting rod will be reduced. Bending stresses were also negligible at the piston pin end.
4. Due to less weight of carbon fiber inertia forces are neglected.
5. Due to light weight of connecting rod efficiency of engine will be increased.
6. In the cost orientation carbon fiber is more costlier as compared to Aluminum alloys, Titanium and Stainless Steel.

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